

Title : Evaluation of different methods for evapotranspiration estimation using Automatic Weather Station data

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Background

- Reference evapotranspiration(ET_0) is widely used variable in hydrology and agriculture
- Quantitative estimation of ET_0 through empirical approach often produces inconsistent result under Agro Climatic regions
- Identification of the best suitable model for specific agroclimatic situation is important

Objective

- Estimation of ET_0 using empirical models
 - FAO-Penman-Monteith
 - Priestly-Taylor,
 - Hargreaves-Temperature,
 - Hargreaves-Radiation,
 - Turc-Radiation, and
 - Makkink-Radiation method using Automatic Weather Station database
- Validation against pan derived reference evapotranspiration
- Selection of the best suitable empirical models for reference evapotranspiration under present agro climatic condition

Materials and Method

Data Used

➤ Automatic Weather Station Data

Air temperature

Relative humidity

Wind speed

Solar radiation

- *Data are recorded at 3 min logging interval and 30 min averaging interval*
- *Daily total, average, maximum and minimum were estimated as per the model requirements*
- *Vapour pressure parameters were derived (before averaging) from RH and Temperature*

➤ Observatory data (Daily data)

1. Pan evaporation data

Calculation of pan Derived ET_0 ***(selected as a benchmark method for comparison)***

- $ET_0 = K_p * E_{pan}$
- $K_p = 0.108 - 0.0286 u_2 + 0.0422 \ln(FET)$
 $+ 0.1434 \ln(RH_{mean}) - 0.000631 [\ln(FET)]^2 \ln(RH_{mean})$

FET = Fetch Length (200mt.)

RH_{mean} = Mean Relative Humidity

E_{pan} = Pan Evaporation (from observatory)

u_2 = Wind speed

K_p = Pan Coefficient

Expression of Mathematical Models

Model name	Formulae
Hargreaves Temperature	$HT = 0.0023R_s (T+17.8) [T \Delta]^{0.5}$ <p> R_a = Daily Extra Terrestrial Radiation (MJ/m²) T = Daily Mean Temperature TΔ=Daily maximum and minimum temperature difference </p>
Priestley Taylor Model	$PT = \alpha \left(\frac{\Delta}{\Delta + \gamma} \right) * R_n$ <p> α =Empirical coefficient (1.56) Δ=Slope of Saturation Vapor Pressure Curve (KPa⁰C) γ = Psychometric Constant (KPa⁰C) R_n= Net Radiation (MJ/m²) </p>
Turc Radiation Model	$TU = \beta \left[\frac{T}{(T + 15)} \right] * (23.88 * R_s + 50)$ <p> β =empirical coefficient (0.013) T= Daily Mean Temperature R_s= Solar Radiation (MJ/m²) </p>

Expression of Mathematical Models

Model name	Formulae
Hargreaves Radiation Model	$HR = 0.0135 (T + 17.8) R_s$ <p> T= Daily Mean Temperature Rs= Solar Radiation (MJ/m²) </p>
FAO-Penman Monteith Model	$ET_0 = \frac{[0.408 \Delta(R_n - G) + \gamma \{900 / (T + 273)\} U_2 * D]}{\Delta + \gamma (1 + 0.34 * U_2)}$ <p> Rn= Net Radiation (MJ/m²) Δ=Slope of Saturation Vapor Pressure Curve (KPa⁰C) G= Ground Heat Flux (0) D= Vapor Pressure Deficit 900= Conversion factor γ = Psychometric Constant (KPa⁰C) </p>
Makkink Model	$MK = 0.61 \left[\frac{\Delta}{\Delta + \gamma} \right] * \left(\frac{R_s}{2.45} \right) - 0.12$ <p> Δ=Slope of Saturation Vapor Pressure Curve (KPa⁰C) Rs= Solar Radiation (MJ/m²) </p>

Calculation of derived input

Symbol	Description
R _n	Net Radiation = $R_{ns} - R_{nl}$
R _{ns}	Shortwave Balance = $0.77R_s$
R _{nl}	Longwave Balance = $f_c f_h \sigma (T_{kx}^4 + T_{kn}^4) / 2$
f _c	Cloudiness factor = $1.35(R_s / R_{so}) - 0.35$
f _h	Humidity factor = $0.34 - 0.14\sqrt{ea}$
R _{so}	Clear sky radiation = $\max(R_s, 0.75R_a)$
R _a	Extra-terr. Radiation = $0.31831 k_{sc} dr (\omega_s \sin\phi \sin\delta + \cos\phi \cos\phi \sin\omega_s)$
K _{sc}	Solar constant
D _r	Inverse relative distance = $1 + 0.033 \cos(0.0172J)$
ω _s	Sunset hour angle = $\arccos(-\tan\phi \tan\delta)$
φ	Latitude
δ	Solar declination = $4.903 \sin(0.0172J - 1.39)$

Validation Methods

Statistical techniques used

Root mean square error

$$RMSE = \left[\frac{1}{N} \sum_n^{i=1} (P_i - O_i)^2 \right]^{0.5}$$

Normalized RMSE

$$NRMSE = \frac{RMSE}{\text{Range of obs.}}$$

Coefficient of variation of RMSE

$$CVRMSE = \frac{RMSE}{\text{Mean of obs.}}$$

Mean bias error

$$MBE = \frac{1}{N} \sum_n^{i=1} [P_i - O_i]$$

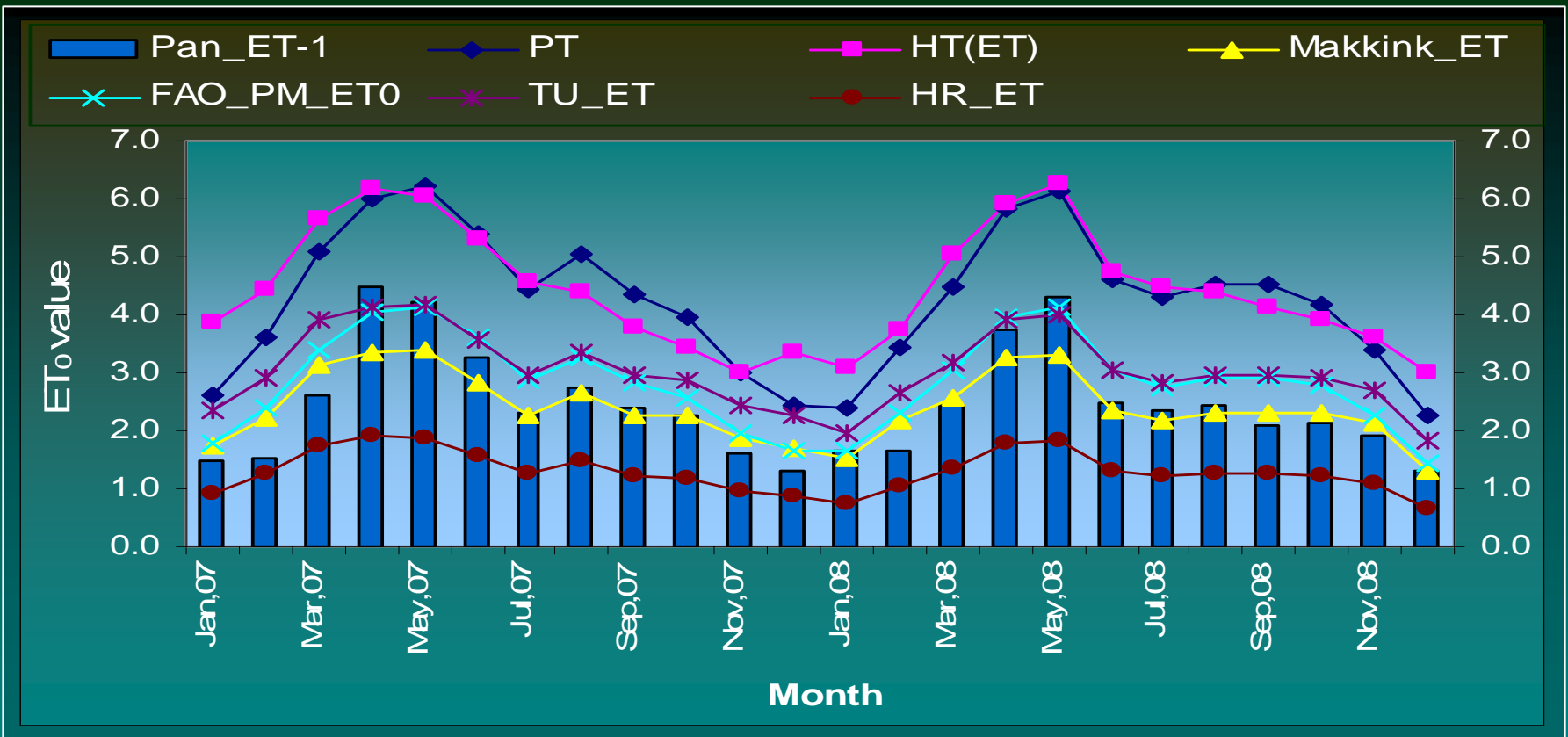


Fig: 1 Comparison of all models against Pan Derived ET

- **Hargreaves Temp & Priestly-Taylor** methods overestimate ET in all months
- **Hargreaves Radiation** model highly underestimates ET
- **FAO-Penman-Monteith and Turc** methods slightly overestimate ET during July to Nov
- **Makkink** method closely matches with Pan Derived ET throughout the experimental year

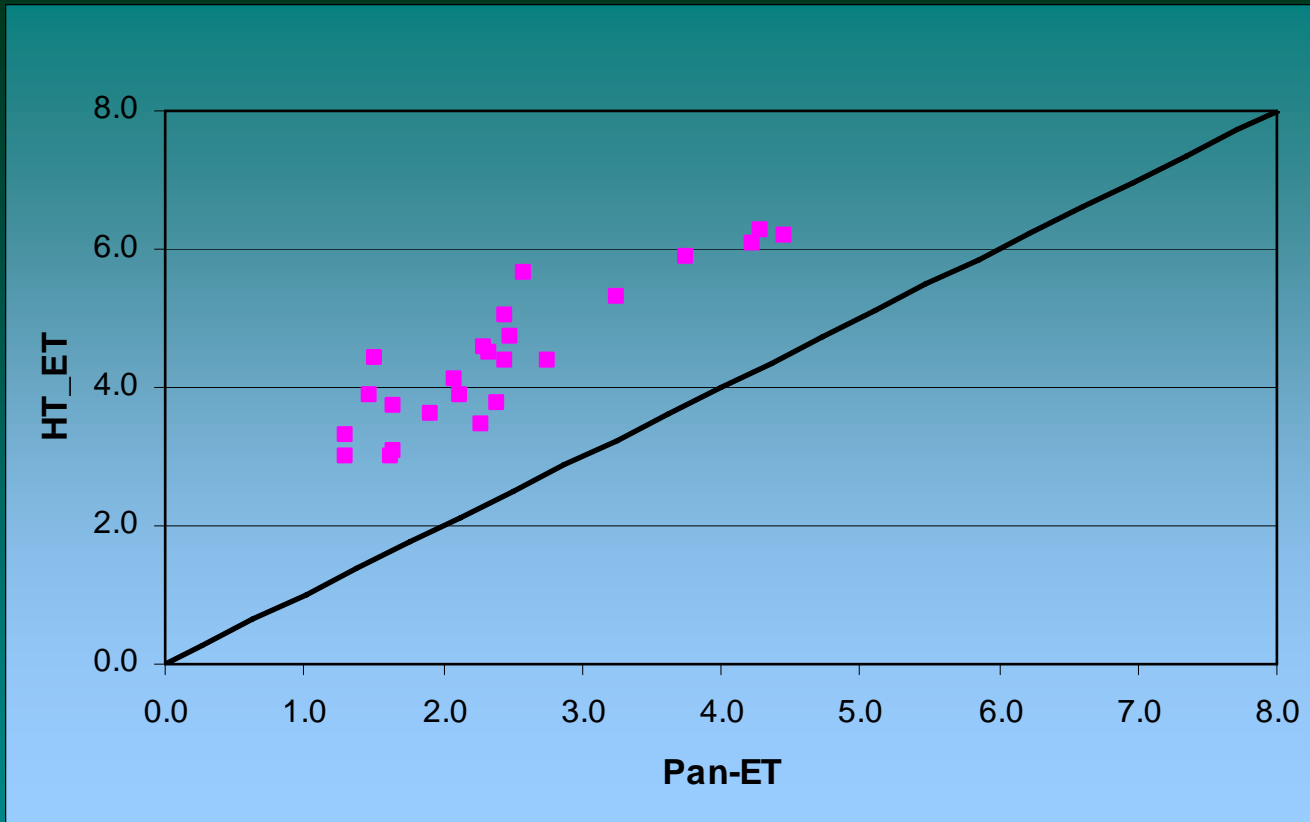
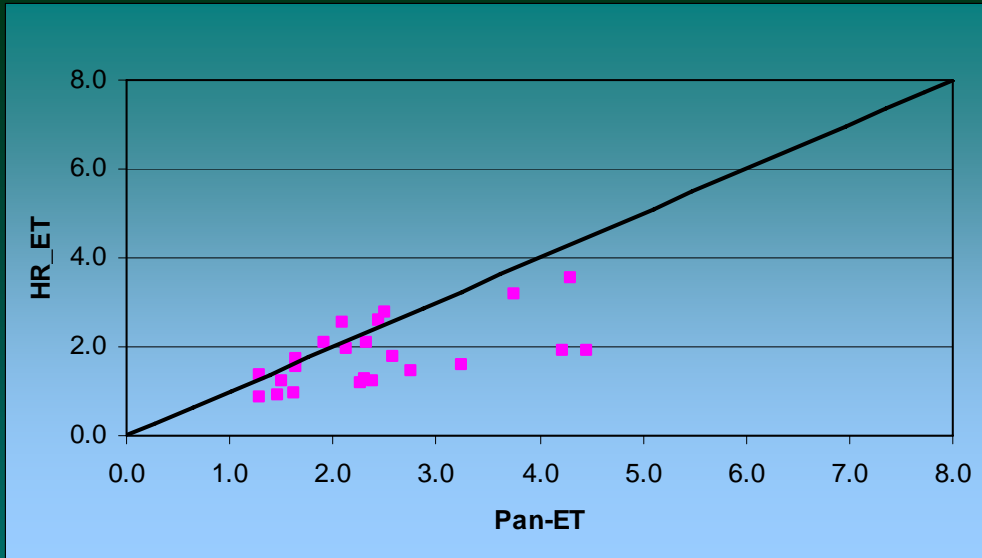


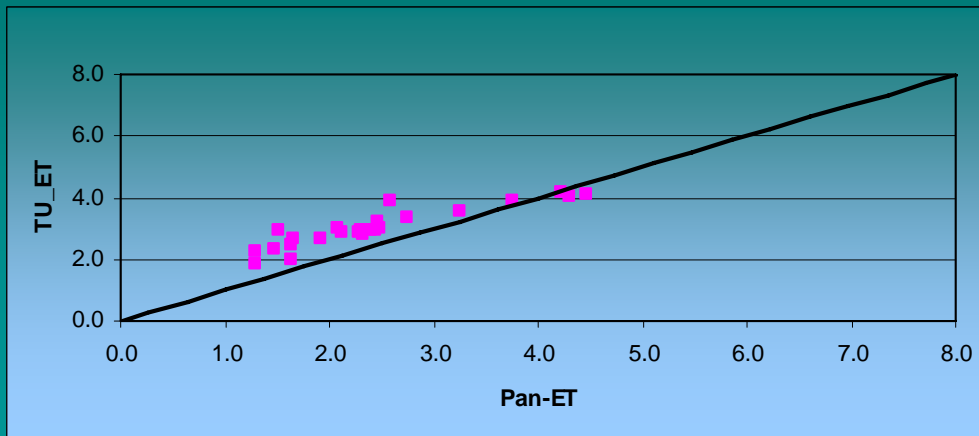
Fig:2 HT_ET vs Pan derived ET

- Overestimation throughout the experimental period



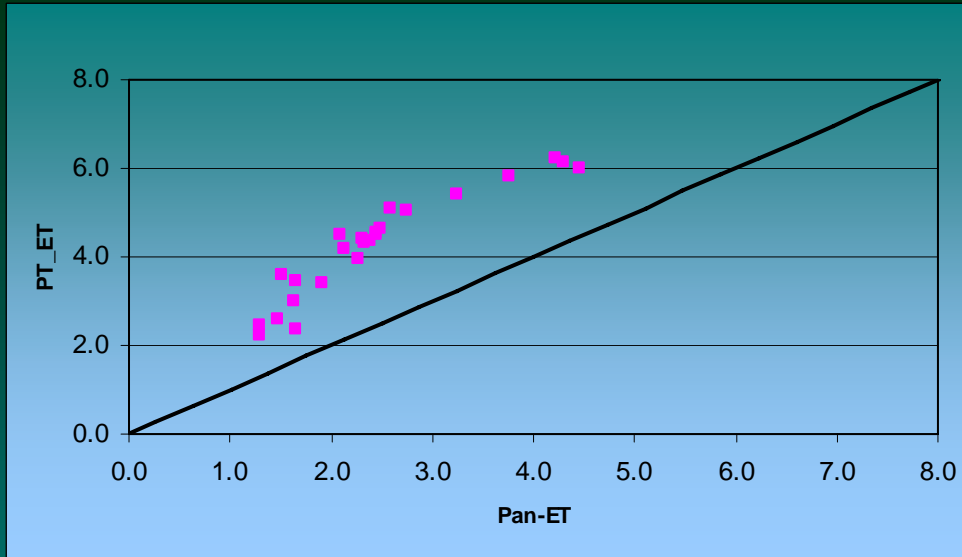
- Slight underestimation
- More deviation at higher range

Fig:3 HR_ET vs Pan derived ET



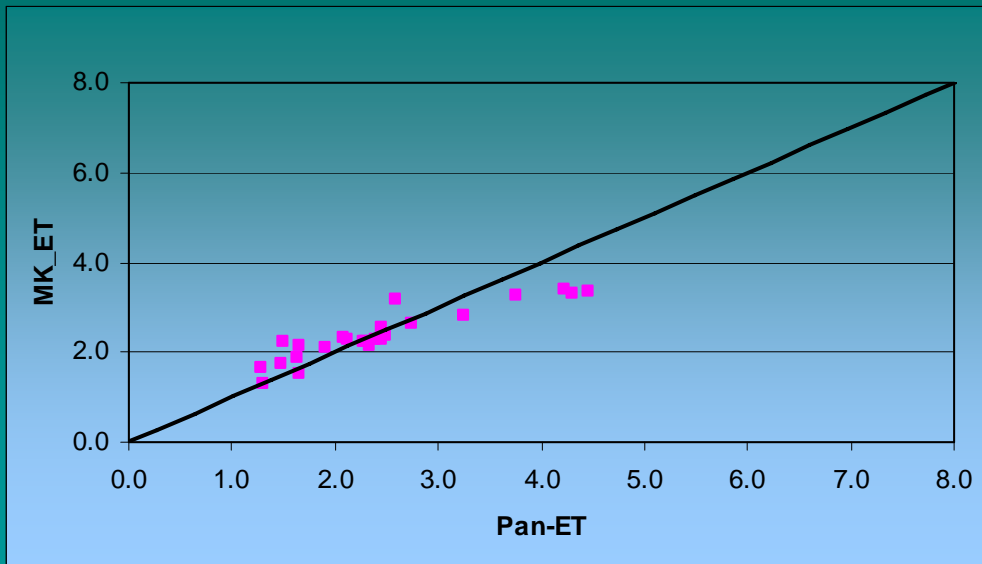
- Slight underestimation at higher range
- Overestimation at lower range

Fig:4 TU_ET vs Pan derived ET



- Overestimation throughout the experimental period
- More deviation at the middle range

Fig:2 PT_ET vs Pan derived ET



- Gives the best predicted value
- Slight underestimation at higher range

Fig:2 MK_ET vs Pan derived ET

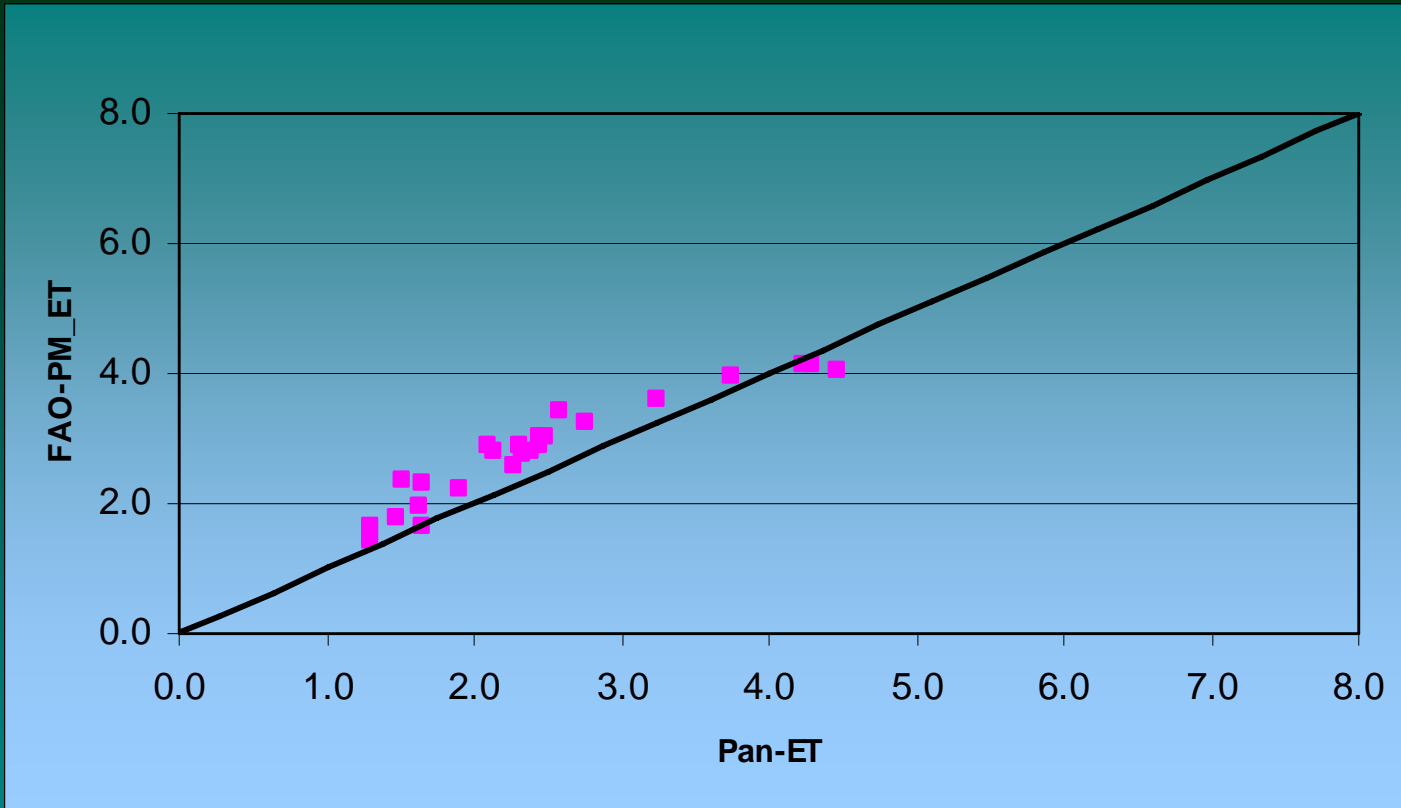


Fig:2 FAO-PM_ET vs Pan derived ET

- Very small deviation from lower to middle range
- Slight underestimation at the higher range

Salient findings

Model name	r	slope	intercept	RMSE	MBE	CV(RMSE)	NRMSE
Hrg_Tmp	0.892	0.985	2.020	2.878	3.966	0.650	0.877
Hrg_Rad	0.940	0.369	0.355	1.261	-1.143	1.024	1.100
Turc	0.915	0.640	1.469	1.021	1.176	0.337	0.433
Prst_Tayl	0.934	1.196	1.335	2.643	3.625	0.621	0.666
Mk_ET	0.921	0.578	0.976	0.637	-0.113	0.267	0.304
FAO-PM	0.946	0.817	0.819	0.682	0.744	0.242	0.250

- Makkink and FAO-PM approaches are suitable in our region
- Hargreaves-Radiation and Makkink approach made slight under estimation while all others made over estimation
- Priestly-Taylor and Hargreaves-Radiation showed high 'r' value implies that they can be effectively used after suitable calibration of the empirical coefficients

Thank You....